

# Scientific Measurement

PHY-103

Dr. Eram Rizvi & Dr. Jeanne Wilson

## Lecture 2 - Graph Plotting

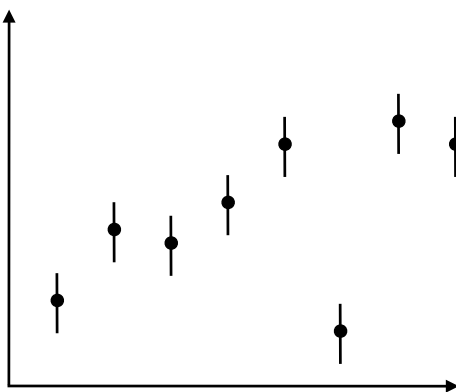


### Graph Plotting

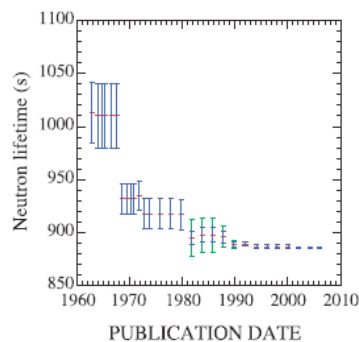


Graph plotting is important to experimental practice:

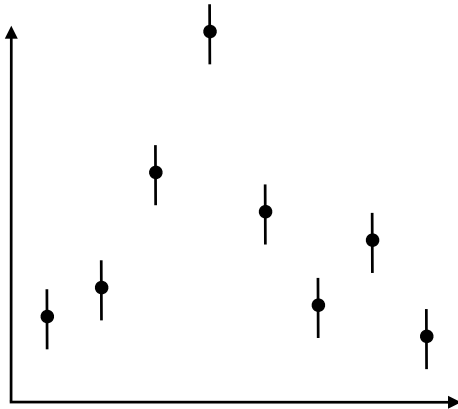
- allows you to spot mistakes



One point is anomalous  
Consider remeasuring point  
Check equipment  
Measure close to/around anomaly  
Do not discard data unless you are convinced  
it really is experimental problem  
- it could be real physics!



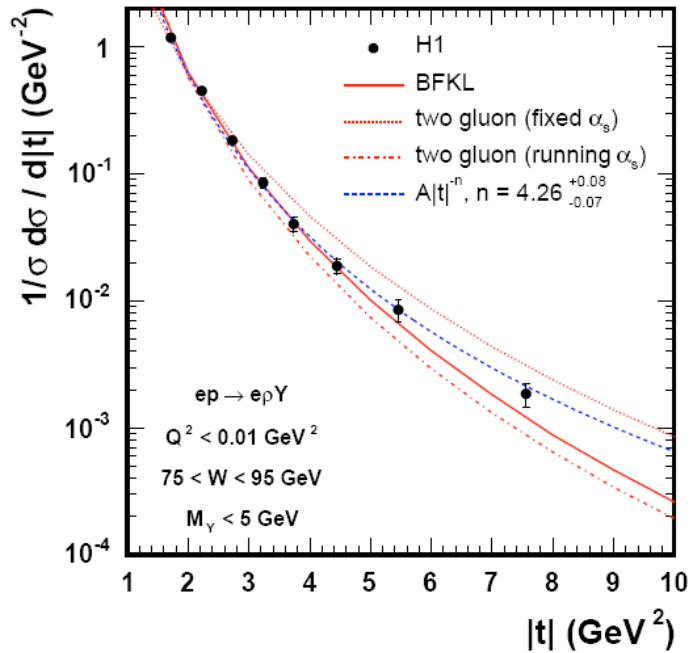
Real example of bias



plotting helps identify 'features'  
 choose to take more data around peak  
 this helps determine peak position better

identify relationships eg: linear behaviour, exponential, quadratic etc

plots allow comparison with theory  
 can perhaps refute one theory  
 only data can do this!



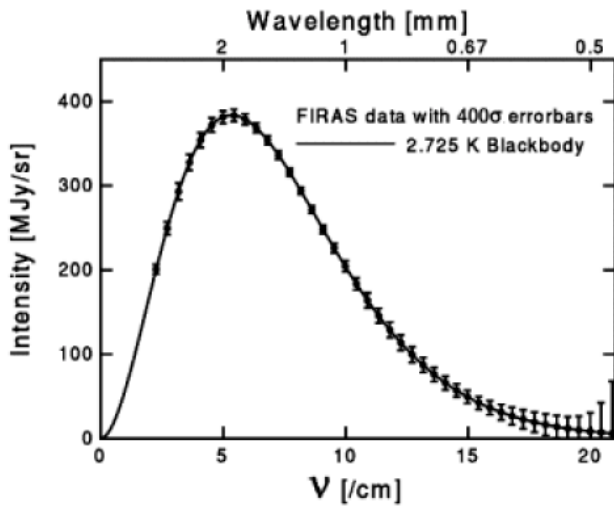
red dashed & dotted curves are incompatible with the data  
 full red curve in agreement with data  
 blue curve fitted to data

Rules of Graph Plotting

Always plot uncertainty on your measurement! ALWAYS!

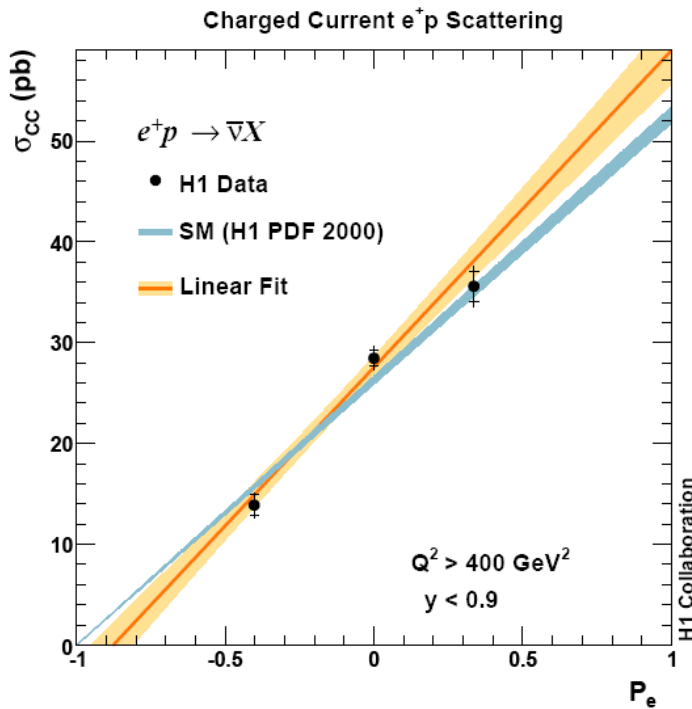
Preference: use a solid circle ● to mark data point  
 can use ○ \* ■ + but easy to confuse error bars

If value is  $13.6 \pm 0.2$  then draw point at 13.6 and vertical line from 13.4-13.8  
 Errors can be asymmetric eg:  $13.6 + 0.2 - 0.8$  i.e. draw line 12.8-13.2



✦ errors often on ordinate and abscissa - not always

If errors too small to draw you could multiply by 2 or 10 for presentation



Title  
 axis labels  
 units  
 legend  
 axis values

Forget these at your peril!  
 You will lose marks



Sometimes suppress the zero  
 Makes details more visible  
 Be aware that it can overemphasise dips and troughs  
 FTSE 100 3 year history has 30% gain, not 300% above!

Try to define linear variables - easier to spot linear behaviour e.g:

For pendulum:

$$T = 2\pi\sqrt{\frac{L}{g}} \quad \text{then plot} \quad T^2 = 4\pi^2\frac{L}{g}$$

for refractive index:

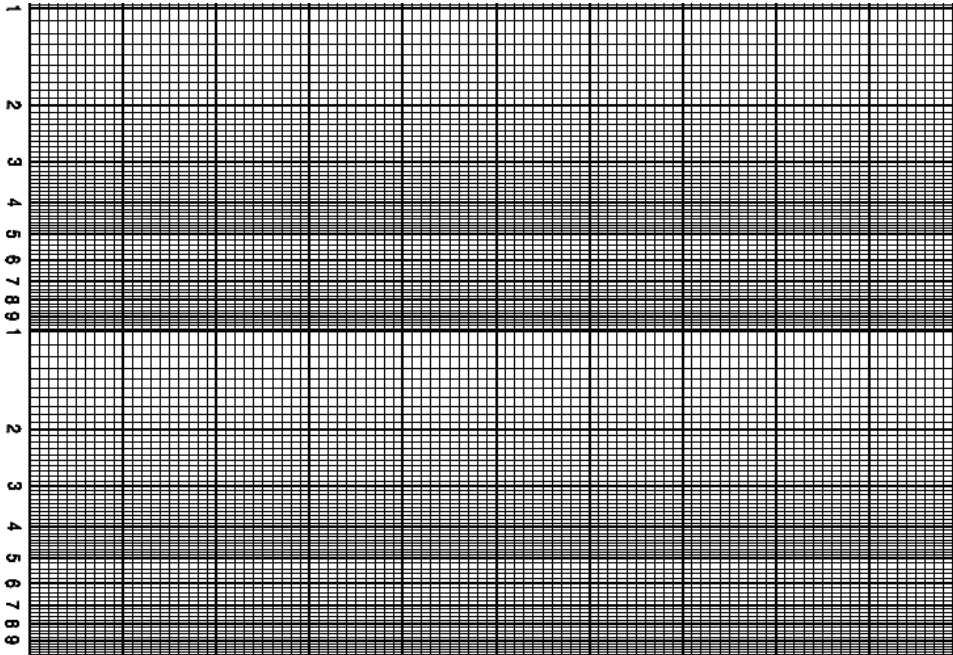
$$n = A + \frac{B}{\lambda^2} \quad \text{plot } n \text{ vs } \frac{1}{\lambda^2}$$

For exponential relationships e.g. radioactive decay rate:

$$N = N_0 e^{-t/\lambda}$$

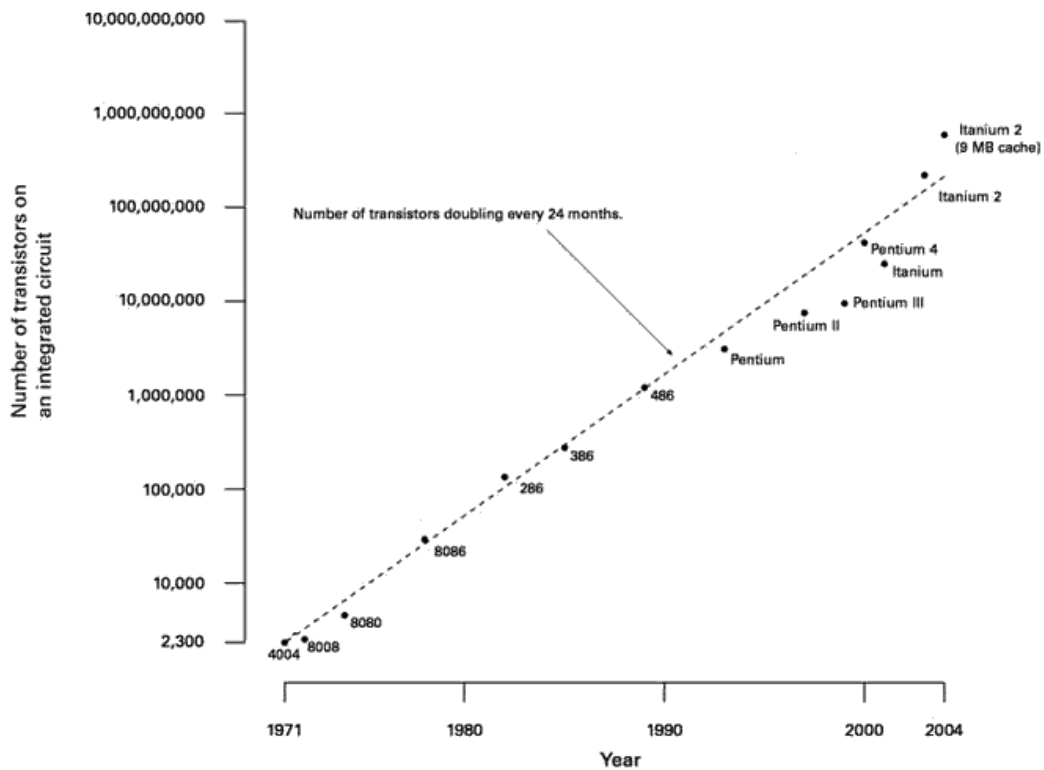
linearise by taking logarithms:  $\log_{10} N = \log_{10} N_0 - \frac{t}{\lambda} \log_{10} e$

$$\log_{10} e = 0.4343$$

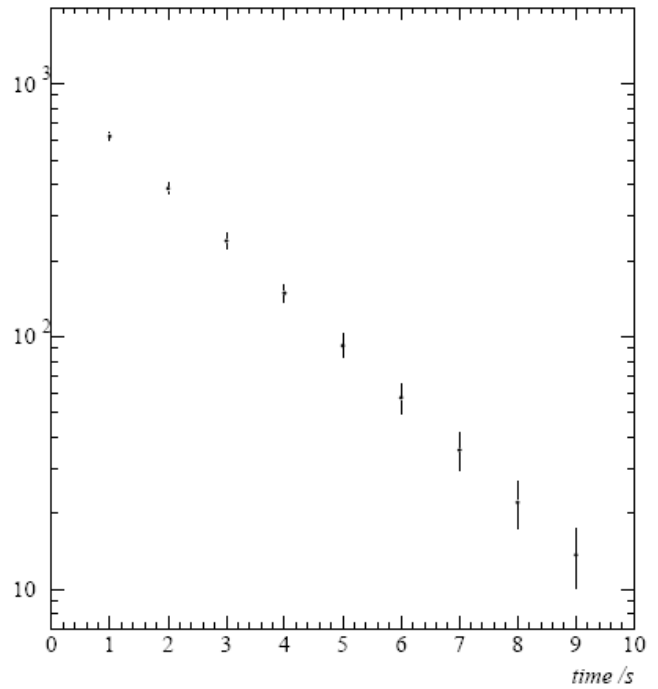
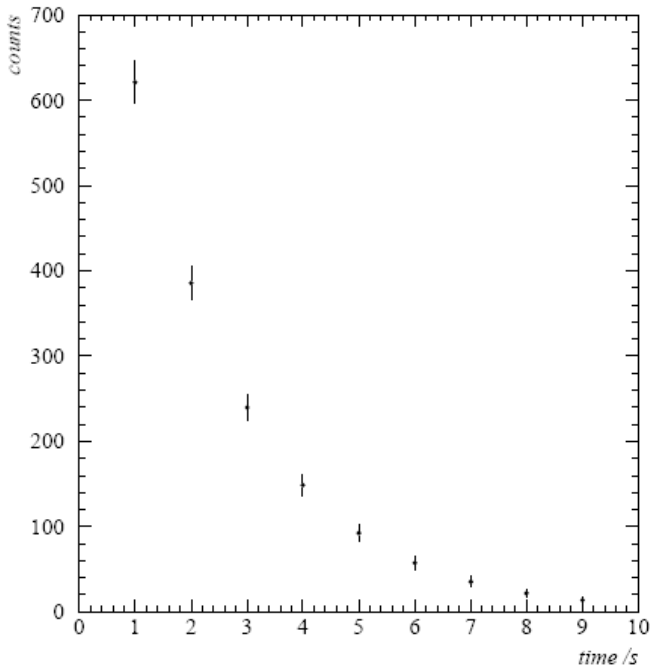


plot on log-lin paper  
factors are constant  
not differences!  
label each decade

Moore's Law





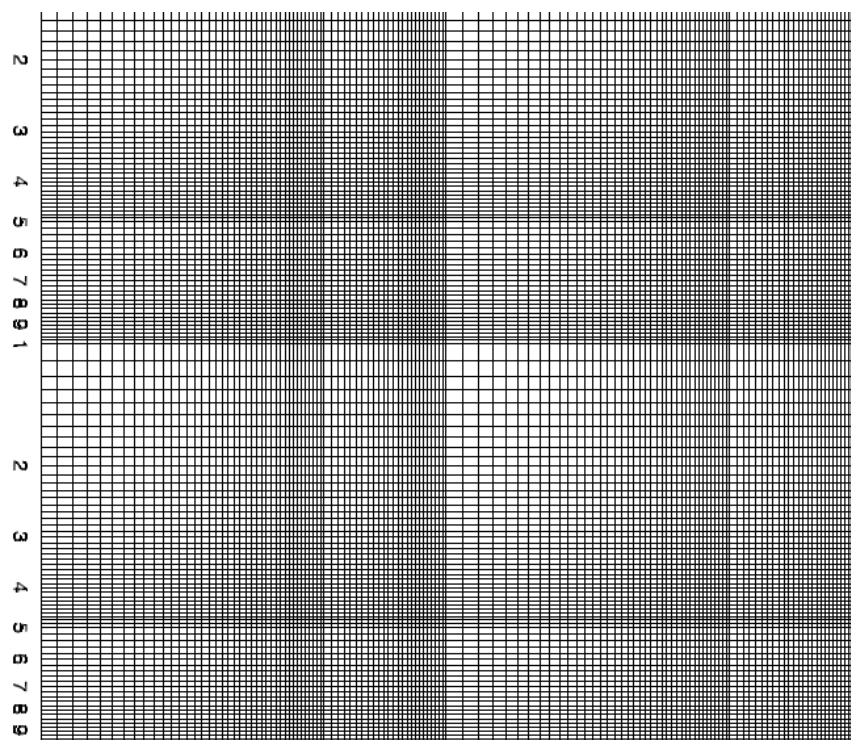


Same data shown on logarithmic and linear scales - data are same in both plots!  
 Notice error bars look different in both plots  
 In fact they are the same in both!

For power laws e.g:  $V = kI^{\frac{3}{2}}$

taking logarithms:  $\log_{10} V = \log_{10} k + \frac{3}{2} \log_{10} I$

plot on log-log paper:



Nowadays use computers to plot  
 They switch lin/log axes simply!  
 PhysPlot will do this too